

Any standard **highlighted in yellow** has been determined by our WCSD teachers, district and state experts as essential for students to master.

<p>Strand 11.A.APR: I can perform arithmetic operations on polynomials, extending beyond the quadratic polynomials (Standard A.APR.1). I understand the relationship between zeros and factors of polynomials (Standards A.APR.2-3). I can use polynomial identities to solve problems (Standards A.APR.4-5). I can rewrite rational expressions (Standards A.APR.6-7).</p>			
<p>Standard 11.A.APR.1: I understand that polynomials form a system analogous to the integers, namely, they are closed under the operations of addition, subtraction, and multiplication. I can add, subtract, and multiply polynomials.</p>			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can fluently add, subtract, and multiply two or more polynomials. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> closure, polynomials 	<p>Question Stems</p> <ul style="list-style-type: none"> Compare and contrast the multiplication of the expanded form of 234 and 67 to the multiplication of $(2x^3 + 3x + 4)$ and $(6x + 7)$ What was challenging with this concept? 	<p>Possible Assessments</p> <ul style="list-style-type: none"> <u>District CFAs</u>
<p>Standard 11.A.APR.2: I know and can apply the Remainder Theorem: For a polynomial (x) and a number a, the remainder on division by $x - a$ is $p(a)$, so $p(a) = 0$ if and only if $(x-a)$ is a factor of $p(x)$.</p>			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can recognize that if $p(a) = 0$ then $(x-a)$ is a factor of $p(x)$. I can recognize that if $(x-a)$ is a factor of $p(x)$ then $p(a) = 0$. I can use the Remainder Theorem to determine factors of polynomials. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> Remainder Theorem, factor 	<p>Question Stems</p> <ul style="list-style-type: none"> If 1 is a root of $p(x)$, explain why $p(x)$ has a factor of $(x-1)$. What strategy did you use? 	<p>Possible Assessments</p> <ul style="list-style-type: none"> <u>District CFAs</u>

Standard 11.A.APR.3: I can identify zeros of polynomials when suitable factorizations are available and can use the zeros to construct a rough graph of the function defined by the polynomial.			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can use the Remainder Theorem to draw a rough graph of a polynomial. I can recognize that repeated factors indicate multiplicity of roots and graph polynomials with repeated factors. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> Remainder Theorem 	<p>Question Stems</p> <ul style="list-style-type: none"> Given a fourth degree polynomial, how could you have: zero real roots, one real root, two real roots, three real roots, or four real roots? 	<p>Possible Assessments</p> <ul style="list-style-type: none"> District CFAs
Standard 11.A.APR.4: I can prove polynomial identities and use them to describe numerical relationships.			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can prove polynomial identities that expand or factor polynomials. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> Properties of algebra 	<p>Question stems</p> <ul style="list-style-type: none"> Write $y = x^4 - 16$ in various equivalent forms and relate each form to its graph. Justify your answers. 	<p>Possible Assessments</p> <ul style="list-style-type: none"> District CFAs
Standard 11.A.APR.5: I know and can apply the Binomial Theorem for the expansion of $(x + y)^n$ in powers of x and y for a positive integer n, where x and y are any numbers, with coefficients determined for example by Pascal's Triangle.			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can fluently expand binomials by hand, recognizing Pascal's Triangle as a tool of efficiency. I can expand binomials of the form $(ax + by)^n$ using Pascal's Triangle. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> Binomial Theorem, Pascal's Triangle 	<p>Question stems</p> <ul style="list-style-type: none"> Explain how using Pascal's Triangle can be used to expand $(x + y)^n$ 	<p>Possible Assessments</p> <ul style="list-style-type: none"> District CFAs

<p>Standard 11.A.APR.6: I can rewrite simple rational expressions in different forms.</p>			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can write $a(z)/b(x)$ in the form $q(x) + r(x)/b(x)$, where $a(x)$, $b(x)$, and $r(x)$ are polynomials with the degree of $r(x)$ less than the degree of $b(x)$, using inspection, long division, or, for the more complicated examples, a computer algebra system. I can divide polynomials and recognize when your division is a factor and when you will have non-zero remainders. I can use long division to rewrite a rational expression in the form $g(x) + r(x)/b(x)$. I can use a computer algebra system to divide complicated polynomials. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> multiplying polynomials, adding polynomials, subtracting polynomials 	<p>Question stems</p> <ul style="list-style-type: none"> Write a division problem whose result will be: $x^2 + 3x + \frac{2}{x-5}$ 	<p>Possible Assessments</p> <ul style="list-style-type: none"> <u>District CFAs</u>
<p>Standard 11.A.APR.7: I understand that rational expressions form a system analogous to the rational numbers, closed under addition, subtraction, multiplication, and division by a nonzero rational expression.</p>			
<p>Learning Targets</p> <ul style="list-style-type: none"> I can add, subtract, multiply, and divide rational expressions. I can demonstrate that rational expressions are closed under addition, subtraction, multiplication, and non-zero division. 	<p>Academic Vocabulary & Notation</p> <ul style="list-style-type: none"> closure, rational expression 	<p>Question stems</p> <ul style="list-style-type: none"> Compare and contrast the operations addition, subtraction, division, and multiplication on whole numbers to the same operations performed on polynomials. Example: $3/4 + 5/6$ and $x/x+1 + 8/x+3$ 	<p>Possible Assessments</p> <ul style="list-style-type: none"> <u>District CFAs</u>